

Logic-based Argumentation Systems: An overview

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Use of Arguments

- Humans use argumentation in their daily life in order to evaluate information when trying to make some decision
 - Which film should I watch tonight?
 - What are the pros and cons of becoming an architect when I grow up?
- Or in order to present information and support an opinion
 - You should watch *'The Artist'* because it won the best picture award
 - If you become an architect you will have a creative job

Argument definition

- *'A reason or set of reasons given in support of an idea, action or theory'*^a

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^bInternet Encyclopaedia of Philosophy <http://www.iep.utm.edu>

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- *'The statement a person makes in the attempt to convince someone of something, or present reasons for accepting a given conclusion'*
 - Persuasion

Types of Argumentation

- **Monological argumentation** for individual analysis or presentation of information e.g. a political speech before the elections
- **Dialogical argumentation** for exchange of information between agents e.g. a debate between the leaders of two political parties before the elections

Use of arguments

- Typically we start with an argument that supports a case of interest, then counter arguments to this argument are presented, counter-counter arguments and so on
- We can analyze series of arguments and counter arguments in order to draw conclusions
- Some arguments are refutable while some other are winning

Example

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Example

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 - CCTV surveillance provides security and security is good for the citizens, therefore CCTV surveillance is good for the citizens
 - CCTV surveillance invades privacy and privacy invasion is not good for the citizens therefore CCTV surveillance is not good for the citizens
 - Security is more vital than privacy therefore CCTV surveillance is good for the citizens
 - ...

Why would we need to automate argumentation?

- It simulates human reasoning when dealing with conflicting information
- It provides a way of handling uncertainty
- Useful for decision support systems

Modelling Argumentation

- Define structures that represent arguments
- Formalize counter argument relations between arguments
- Define formal criteria for comparing arguments and identify which are the winning ones
- Automate all the above

Modelling Argumentation

- Various formalisations exist for modelling argumentation.
- Based on different theories (e.g. classical logic/graphs based approaches)
- They vary in terms of expressivity, the way they define attack relations and evaluation criteria

Abstract argumentation

Abstract argumentation is a simple, yet illustrative way for formalising the mechanism of argumentation.¹

¹P. Dung. On the acceptability of arguments and its fundamental role in nonmonotonic reasoning, logic programming, and n-person games. *Artificial Intelligence*, 77:321–357, 1995.

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- Arguments are depicted as nodes in a directed graph $(\mathcal{A}, \rightarrow)$

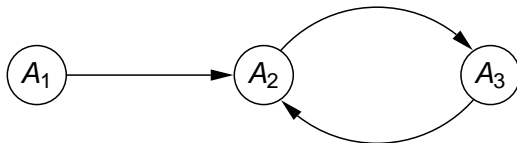


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- Arguments are depicted as nodes in a directed graph
- Arcs linking pairs of nodes denote the attack relation between the nodes of the pair




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Evaluation of information

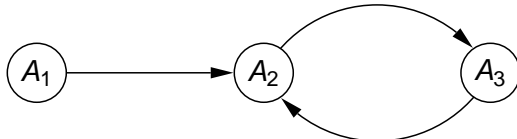
- Apart from the binary attack relation between pairs of nodes in $(\mathcal{A}, \rightarrow)$, further relations are defined according to the interrelated attacks in the graph
- More composite notions provide the means for analysing the overall information depicted in the graph

- For instance, a set of arguments $S \subseteq \mathcal{A}$ is said to **defend** an argument $B \in \mathcal{A}$ iff for each argument $B' \in \mathcal{A}$, if B' attacks B then each of the elements of S attacks B' .

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- e.g. $\{A_1, A_3\}$ defends A_2 ²



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Summary

- A simple structural way for representing binary attack relations in a given set of arguments
- Further definitions for an overall evaluation of a situation
- No method for deducing individual arguments from some knowledgebase
- Limited expressivity

Implementation

A java-based implementation of Abstract argumentation ^a can be found at <http://www.argkit.org>

^aM. South, G. Vreeswijk, and J. Fox. Dungine: a java dung reasoner. In *Proceeding of the 2008 conference on Computational Models of Argument*, pages 360–368, Amsterdam, The Netherlands, The Netherlands, 2008. IOS Press.

Overview

Assumption-based argumentation ^a ^b is a more expressive formalism for modelling argumentation.

- An instantiation of Abstract argumentation
- It is based on logic and incorporates deduction
- Allows generating arguments from assumptions (facts) and rules

^aA. Bondarenko, P. M. Dung, R. A. Kowalski, and F. Toni. An abstract, argumentation-theoretic approach to default reasoning. *Artificial Intelligence*, 93(1-2):63–101, 1997.

^bP. M. Dung, R. Kowalski, and F. Toni. Dialectical proof procedures for assumption-based admissible argumentation. *Artificial Intelligence*, 170:114–159, 2006.

Definition (Assumption-based argumentation framework)

An assumption-based argumentation (ABA) framework is a tuple $\langle L, R, A, \bar{\cdot} \rangle$ such that

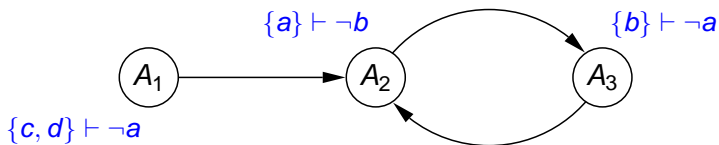
- R is a set of rules of the form $s_1 \leftarrow s_2, \dots, s_n$ each s_i is a sentence
- $A \subseteq L$ is a set of assumptions (i.e. literals assumed to hold)
- An assumption cannot be the head of any rule
- \bar{a} is the contrary of assumption a

Definition (Argument in an ABA framework)

- In an Assumption-based argumentation framework, an argument is a deduction supported by a set of assumptions and obtained along with the rules available.
- An argument B attacks another argument B' if the conclusion of B is the contrary of one of the assumptions supporting B' .

Assumption-based argumentation

- $L = \{a, \neg a, b, \neg b, c, \neg c, d, \neg d\}$
- $R = \{(\neg a \leftarrow c, d), (\neg b \leftarrow a), (\neg a \leftarrow b)\}$
- $A = \{a, b, c, d\}$



'An argument B attacks another argument B' if the conclusion of B is the contrary of one of the assumptions supporting B' .'

Summary

- A logic-based formalisation for argumentation
- Provides methods for constructing arguments for a given knowledge by deductive inference
- More detailed and expressive knowledge representation
- Still, restricted language syntax and proof theory compared to classical logic

Implementation

A Prolog-based implementation of Assumption-based argumentation exists ^a <http://www.doc.ic.ac.uk/~dg00/casapi.html>

^aD. Gaertner and F. Toni. Casapi: a system for credulous and sceptical argumentation. In *Proc. Workshop on Argumentation for Non-monotonic Reasoning*. (2007), pages 80–95, 2007.

Overview

Defeasible logic ^a incorporates two kinds of rules

- **defeasible rules:** they represent weak information (notation: \Leftarrow)
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flies(x) \prec bird(x) , bird(tweety)

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$flies(x) \prec bird(x)$, $bird(tweety)$ $flies(tweety)$

but tweety is a penguin ...

$bird(x) \leftarrow penguin(x)$

$\sim flies(x) \leftarrow penguin(x)$

The statement $flies(tweety)$ cannot be used further as an assumption because it is inconsistent with this definite piece of information (*'Defeasibility'*)

^aD. Nute. *Defeasible logics*, volume 3: Nonmonotonic Reasoning and Uncertainty Reasoning. Oxford University

Definition (Defeasible logic Program (DeLP))

- A Defeasible Logic Program ^a $\mathcal{P} = (\Pi, \Delta)$
 - Π set of strict rules and facts (literals)
 - Δ set of Defeasible rules.
- An Argument in a DeLP (Π, Δ) is a pair $\langle \mathcal{A}, h \rangle$ such that h is a literal and \mathcal{A} is a set of defeasible rules s.t. :
 - 1 There exists a derivation of h from $\Pi \cup \mathcal{A}$
 - 2 $\Pi \cup \mathcal{A}$ is a non-contradictory set
 - 3 \mathcal{A} is minimal: There exists no proper subset of \mathcal{A} satisfying the above conditions

^aA. García and G. Simari. Defeasible logic programming: An argumentative approach. *Theory and Practice of Logic Programming*, 4(1):95–138, 2004.

Example

$$\Pi = \left\{ \begin{array}{l} \text{bird}(x) \leftarrow \text{chicken}(x) \\ \text{chicken}(\text{tina}) \\ \text{scared}(\text{tina}) \end{array} \right\}$$

$$\Delta = \left\{ \begin{array}{l} \text{flies}(x) \prec \text{bird}(x) \\ \sim \text{flies}(x) \prec \text{chicken}(x) \\ \text{flies}(x) \prec \text{chicken}(x), \text{scared}(x) \end{array} \right\}$$

One argument for $\sim \text{flies}(\text{tina})$:

$$\langle \{ \sim \text{flies}(\text{tina}) \prec \text{chicken}(\text{tina}) \}, \sim \text{flies}(\text{tina}) \rangle$$

Two arguments for $\text{flies}(\text{tina})$:

$$\langle \{ \text{flies}(\text{tina}) \prec \text{bird}(\text{tina}) \}, \text{flies}(\text{tina}) \rangle$$

$$\langle \{ \text{flies}(\text{tina}) \prec \text{chicken}(\text{tina}), \text{scared}(\text{tina}) \}, \text{flies}(\text{tina}) \rangle$$

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$$\langle \{ \text{flies}(tina) \prec \text{chicken}(tina), \text{scared}(tina) \}, \text{flies}(tina) \rangle$$

Example (Who flies and who doesn't?)

- Although we have contradictory information inferred ($flies(tina)$ and $\sim flies(tina)$) both the inferred literals are valid in the related DeLP. Both are consistent with the strict knowledge available

$$\Pi_{tina} = \left\{ \begin{array}{l} bird(x) \leftarrow chicken(x) \\ chicken(tina) \\ scared(tina) \end{array} \right\}$$

- The difference with tweety: $flies(tweety)$ contradicts the set of the related strict rules.

$$\Pi_{tweety} = \left\{ \begin{array}{l} bird(x) \leftarrow penguin(x) \\ \sim flies(x) \leftarrow penguin(x) \\ penguin(tweety) \end{array} \right\}$$

Since we do not withdraw the information about tina's flying or non-flying status we use other ways for evaluating the situation

Attack between arguments

- $\langle \mathcal{A}_1, h_1 \rangle$ attacks $\langle \mathcal{A}_2, h_2 \rangle$ at literal h iff there exists a sub-argument $\langle \mathcal{A}, h \rangle$ of $\langle \mathcal{A}_2, h_2 \rangle$ such that $\Pi \cup \{h, h_1\}$ is a contradictory set.

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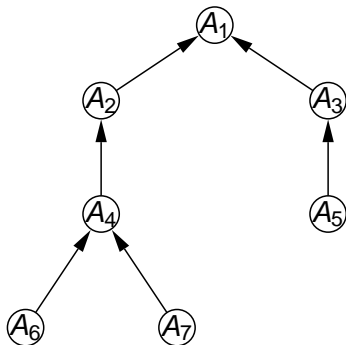
$\langle \{flies(tina) \prec bird(tina)\}, flies(tina) \rangle$

$\langle \{\sim flies(tina) \prec chicken(tina)\}, \sim flies(tina) \rangle$

Both arguments attack each other (in this case the sub-argument is the argument itself)

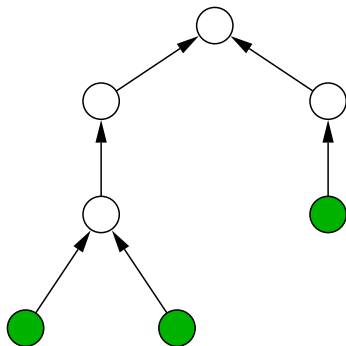
Argumentation based on defeasible logic

- In order to evaluate an argument A_1 we draw a tree with A_1 in its root, arguments that attack A_1 as its children, counter arguments to these at the next level and so on exhaustively.



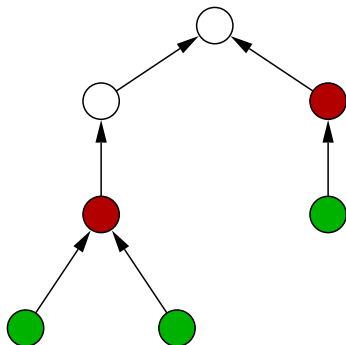
Argumentation based on defeasible logic

- Leaves are marked as *'undefeated'* (no argument attacking them). Then, recursively, all the nodes that have at least one child which is marked as undefeated are marked as *'defeated'*



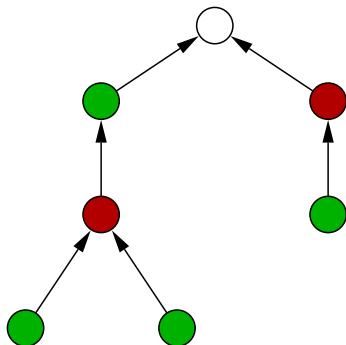
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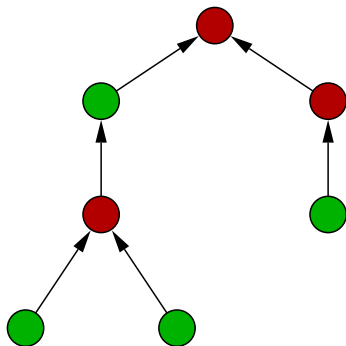
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Summary

- Another logic-based approach that provides mechanisms for deducing arguments
- Defeasible rules capture the way humans tend to make inferences through observations and withdraw some conclusions in the presence of new information
- Allows for priorities on rules to be defined
- Expressivity is limited compared to classical logic approaches

Implementation

A Prolog-based implementation of DeLP exists ^a

http://lidia.cs.uns.edu.ar/delp_client/index.php

^aA. García and G. Simari. Delp client.

Overview

- Classical logic is very expressive
- Detailed knowledge representation and inference mechanisms
- An approach introducing a sophisticated way for defining counter arguments ^a ^b

^aPh. Besnard and A.Hunter. Argumentation based on classical logic. *Argumentation in Artificial Intelligence*, pages 133–152, 2009

^bPh. Besnard and A. Hunter. A logic-based theory of deductive arguments. *Artificial Intelligence*, 128:203–235, 2001.

Definition (Argument (Classical logic argumentation))

An **argument** (for α) is a pair $\langle \Phi, \alpha \rangle$ such that Φ is a set of formulas and α is a formula in classical logic s.t.^a

- 1 Φ is consistent
- 2 $\Phi \vdash \alpha$
- 3 there is no $\Phi' \subset \Phi$ such that $\Phi' \vdash \alpha$

^aPh. Besnard and A. Hunter. A logic-based theory of deductive arguments. *Artificial Intelligence*, 128:203–235, 2001.

Example

$finishHW(Rachel) \rightarrow party(Rachel)$

If Rachel finishes her homework she'll go to the party

$rainsOutside \rightarrow getUmbrella(Rachel)$

If it rains outside Rachel will get an umbrella

$finishHW(Rachel)$

Rachel finished her homework

Rachel has an argument for going to the party

$\langle \{ finishHW(Rachel), finishHW(Rachel) \rightarrow party(Rachel) \}, party(Rachel) \rangle$

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Whether she'll get an umbrella or not is not of our interest - not included in our syllogism (minimality)

Comparing arguments

- Some arguments are more general while others are more specific
- Some arguments may encompass others.
- A **more conservative argument** is more general: it is less demanding on the support and less specific about the consequent

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Definition

An argument $\langle \Phi, \alpha \rangle$ is **more conservative** than an argument $\langle \Psi, \beta \rangle$ iff $\Phi \subseteq \Psi$ and $\beta \vdash \alpha$.

Example

Consider the following knowledge about who is going to the party. ^a

- $party(Rachel)$ *Rachel goes to the party*
- $party(Rachel) \rightarrow \neg party(Paul) \wedge \neg party(Quincy)$
If Rachel goes to the party, neither Paul nor Quincy go

^aPh. Besnard and A.Hunter. Argumentation based on classical logic. *Argumentation in Artificial Intelligence*, pages 133–152, 2009

Example

The following are arguments from the given knowledge

$\langle \{party(Rachel), party(Rachel) \rightarrow \neg party(Paul) \wedge \neg party(Quincy)\}, \neg party(Paul) \rangle$

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$$\langle \{ \text{party}(\text{Rachel}), \text{party}(\text{Rachel}) \rightarrow \neg \text{party}(\text{Paul}) \wedge \neg \text{party}(\text{Quincy}) \}, \neg \text{party}(\text{Quincy}) \rangle$$

This is a more conservative argument, encompassed in both

$$\langle \{ \text{party}(\text{Rachel}), \text{party}(\text{Rachel}) \rightarrow \neg \text{party}(\text{Paul}) \wedge \neg \text{party}(\text{Quincy}) \}, \\ \neg(\text{party}(\text{Paul}) \wedge \text{party}(\text{Quincy})) \rangle$$

Example

So if we are told that the following hold:

party(Paul)

party(Quincy)

which support the argument that both Paul and Quincy are going:

$\langle \{party(Paul), party(Quincy)\}, party(Paul) \wedge party(Quincy) \rangle$

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1st counter argument:

$\langle \{ \textit{party(Rachel)}, \textit{party(Rachel)} \rightarrow \neg \textit{party(Paul)} \wedge \neg \textit{party(Quincy)} \}, \neg \textit{party(Paul)} \rangle$

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2nd counter argument:

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2nd counter argument:

$\langle \{ \textit{party(Rachel)}, \textit{party(Rachel)} \rightarrow \neg \textit{party(Paul)} \wedge \neg \textit{party(Quincy)} \}, \neg \textit{party(Quincy)} \rangle$

3rd counter argument:

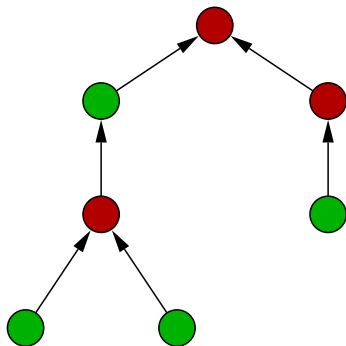
$\langle \{ \textit{party(Rachel)}, \textit{party(Rachel)} \rightarrow \neg \textit{party(Paul)} \wedge \neg \textit{party(Quincy)} \},$
 $\neg(\textit{party(Paul)} \wedge \textit{party(Quincy)}) \rangle$

Argument trees

- We use the ‘most conservative’ counter arguments
- Counter arguments of this kind attack the set of assumptions of another argument altogether and not just one of its assumptions
 - $\langle \Psi, \alpha \rangle$ is a counter argument for $\langle \Phi, \beta \rangle$ when $\langle \Psi, \neg \wedge \Phi \rangle$ holds
- We draw trees with series of counter arguments

Argumentation based on classical logic

We mark nodes as '*undefeated*' or '*defeated*' recursively like in DeLP (but our nodes here are classical-logic 'conservative' arguments!)



Summary

- Powerful language, simple and intuitive syntax and semantics
- Well established proof theory and extensive foundational results
- Concise representation of the most meaningful counter arguments
- Propositional and First-Order logic (hence also fragments of FO logic, Modal logic, Description logics . . .)
- Expressivity vs complexity

Implementation

A java-based implementation of argumentation based on classical propositional logic exists ^a

http://www.ing.unibs.it/comma2010/demos/Efstathiou_etal.pdf

^aV. Efstathiou and A.Hunter. JArgue: An implemented argumentation system for classical propositional logic, COMMA 2010

Applications and Research topics

- e-democracy³
- Medical decision support^{4 5}
- Idea visualisation and sharing^{6 7}
- Argument diagramming⁸
- Multiagent negotiation⁹
- Semantic Web¹⁰
- Legal reasoning¹¹

³<http://www.csc.liv.ac.uk/~parmenides/>

⁴ N.Gorogiannis, A.Hunter and M.Williams. An argument-based approach to reasoning with clinical knowledge. *International Journal of Approximate Reasoning*: 51(1):1-22, 2009

⁵ J. Fox, V. Patkar and R. Thomson. Decision support for health care: the PROforma evidence base. *Informatics in Primary Care*, 14 : 49-54, 2006

⁶<http://debategraph.org>

⁷<http://cohere.open.ac.uk/>

⁸<http://araucaria.computing.dundee.ac.uk/doku.php>

⁹<http://www.argugrid.eu>

¹⁰ I. Rahwan, B. Banihashemi, C. Reed, D. Walton and S. Abdallah. Representing and classifying arguments on the Semantic Web. *The Knowledge Engineering Review*, 26 : pp 487-511, 2011

¹¹ H. Prakken and G. Sartor. Argument-based logic programming with defeasible priorities *Journal of Applied Non-classical Logics*, 7: 25-75, 1997

Summary

- Argumentation is a cognitive process employed by humans when trying to make decisions; especially when dealing with conflicting information
- Computational argumentation can be used by decision support systems; particularly useful for conflict resolution
- Various frameworks have been proposed for modelling argumentation, based on different underlying logics
- Several theories extend these frameworks and a number of tools has been implemented to support the various applications of argumentation
- Still, many practical challenges to overcome

Challenges

Too much information.

We need to distinguish which is relevant to our case.

cloudy(outside)

It is cloudy outside

finishHW(Rachel) → party(Rachel)

If Rachel finishes her homework she'll go to the party

rain(outside) → getUmbrella(Rachel)

If it rains outside Rachel will get an umbrella

likesIcecream(Rachel)

Rachel likes ice cream

sisters(Rachel, Anna)

Rachel and Anna are sisters

finishHW(Rachel)

Rachel finished her homework

Missing information. A human would argue

'It is cloudy outside, Rachel should get an umbrella'

But the actual underlying reasoning is:

cloudy(outside)

cloudy(outside) → rain(outside)

rain(outside) → getUmbrella(Rachel)

Computability issues to overcome